

# Time Course of Low-Frequency Oscillatory Behavior in Human Ventricular Repolarization Following Enhanced Sympathetic Activity and Relation to Arrhythmogenesis

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## 2 ABSTRACT

3 **Background and objectives:** Recent studies in humans and dogs have shown that ventricular  
4 repolarization exhibits a low-frequency (LF) oscillatory pattern following enhanced sympathetic  
5 activity, which has been related to arrhythmic risk. The appearance of LF oscillations in ventricular  
6 repolarization is, however, not immediate, but it may take up to some minutes. This study seeks  
7 to characterize the time course of the action potential (AP) duration (APD) oscillatory behavior in  
8 response to sympathetic provocations, unveil its underlying mechanisms and establish a potential  
9 link to arrhythmogenesis under disease conditions. **Materials and Methods:** A representative set  
10 of human ventricular computational models coupling cellular electrophysiology, calcium dynamics,  
11  $\beta$ -adrenergic signaling and mechanics was built. Sympathetic provocation was modeled via phasic  
12 changes in  $\beta$ -adrenergic stimulation ( $\beta$ -AS) and mechanical stretch at Mayer wave frequencies  
13 within the 0.03-0.15 Hz band. **Results:** Our results show that there are large inter-individual  
14 differences in the time lapse for the development of LF oscillations in APD following sympathetic  
15 provocation, with some cells requiring just a few seconds and other cells needing more than three  
16 minutes. Whereas the oscillatory response to phasic mechanical stretch is almost immediate,  
17 the response to  $\beta$ -AS is much more prolonged, in line with experimentally reported evidences,  
18 thus being this component the one driving the slow development of APD oscillations following  
19 enhanced sympathetic activity. If  $\beta$ -adrenoceptors are priorly stimulated, the time for APD  
20 oscillations to become apparent is remarkably reduced, with the oscillation time lapse being an  
21 exponential function of the pre-stimulation level. The major mechanism underlying the delay in  
22 APD oscillations appearance is related to the slow  $I_{Ks}$  phosphorylation kinetics, with its relevance  
23 being modulated by the  $I_{Ks}$  conductance of each individual cell. Cells presenting short oscillation  
24 time lapses are commonly associated with large APD oscillation magnitudes, which facilitate

25 the occurrence of pro-arrhythmic events under disease conditions involving calcium overload  
26 and reduced repolarization reserve. **Conclusions:** The time course of LF oscillatory behavior  
27 of APD in response to increased sympathetic activity presents high inter-individual variability,  
28 which is associated with different expression and PKA phosphorylation kinetics of the  $I_{Ks}$  current.  
29 Short time lapses in the development of APD oscillations are associated with large oscillatory  
30 magnitudes and pro-arrhythmic risk under disease conditions.

31 **Keywords:** Low-Frequency Oscillations, Beta-Adrenergic Stimulation, Cardiac Cell Models, Ventricular Repolarization, Sympathetic  
32 Activity, Arrhythmogenesis

## 1 INTRODUCTION

33 Ventricular repolarization has been shown to exhibit a low-frequency (LF) oscillatory pattern following  
34 enhanced sympathetic activity. In humans, this has been demonstrated by quantification of so-called  
35 periodic repolarization dynamics in the T-wave vector of the electrocardiogram (ECG) (Rizas et al., 2014,  
36 2016) as well as by *in vivo* evaluation of LF components in activation recovery intervals (ARI) of ventricular  
37 electrograms (Hanson et al., 2014; Porter et al., 2018). In post-infarction patients, an increased magnitude  
38 of LF oscillations in ECG repolarization has been proved to be a significant predictor of total mortality  
39 and sudden cardiac death (Rizas et al., 2017). Most notably, a very recent study has shown that those  
40 periodic repolarization dynamics are able to predict the efficacy of implanting a cardioverter defibrillator in  
41 patients undergoing primary prophylactic treatment (Bauer et al., 2019). *In silico* studies have provided  
42 insight into the cellular mechanisms underlying this oscillatory pattern of ventricular repolarization, which  
43 have been explained by the synergistic effect of phasic  $\beta$ -adrenergic stimulation ( $\beta$ -AS) and mechanical  
44 stretch, both accompanying enhanced sympathetic nerve activity. In brief, differential phosphorylation  
45 kinetics of calcium ( $I_{Ca}$ ) and potassium ( $I_K$ ) currents upon phasic  $\beta$ -AS as well as changes in calcium  
46 cycling and the action of stretch-activated channels (SACs) in response to phasic mechanical stretch have  
47 been shown to generate LF oscillations in cellular action potential (AP) duration (APD) (Pueyo et al.,  
48 2016). Subsequent studies have additionally investigated inter-individual differences in LF oscillations  
49 of ventricular APD, concluding that calcium and potassium currents,  $I_{Ca}$  and  $I_K$  (specifically, the rapid  
50 delayed rectifier  $I_{Kr}$  and inward rectifier  $I_{K1}$ ), are major ionic modulators of such inter-individual  
51 differences (Sampedro-Puente et al., 2019). Importantly, these identified ionic factors are key for the  
52 development of arrhythmic events following enhancement of APD oscillations' magnitude. A very recent  
53 investigation has experimentally confirmed in an arrhythmogenic *in vivo* dog model that ventricular  
54 remodeling associated with chronic atrioventricular block (CAVB) augments LF oscillations of APD  
55 (Sprenkeler et al., 2019). Most importantly, the oscillation magnitude has been reported to be larger in  
56 dogs susceptible to dofetilide-induced Torsades de Pointes arrhythmias as compared to non-inducible dogs  
57 (Sprenkeler et al., 2019).

58 For LF oscillations in the ventricular APD to become clearly manifested following increased sympathetic  
59 activity, computational research has shown that some tens of seconds or even a few minutes are required  
60 (Pueyo et al., 2016). This requisite on a relatively long exposure to enhanced sympathetic activity for  
61 repolarization oscillations to develop may explain why experimentally measured APD oscillations appear  
62 to come and go and do not remain as sustained oscillations for long recording periods (Hanson et al.,  
63 2014). Pueyo et al. (2016) and Sampedro-Puente et al. (2019) have shown that, upon a sympathetic rise,  
64 the cellular ventricular APD shows a global trend of shortening, or brief prolongation followed by more  
65 prominent shortening, which masks concurrent LF oscillations overlapping with the global APD trend.  
66 The individual and combined roles of  $\beta$ -AS and mechanical stretch in determining the time lapse for LF

67 oscillations to become visibly manifested are yet to be explored. Experimental investigations in canine  
68 ventricular myocytes have shown that APD presents slow time-dependent changes following application  
69 of a constant dose of the  $\beta$ -adrenergic agonist isoproterenol (ISO) (Ruzsnavszky et al., 2014). The slow  
70 activation of  $I_K$  currents (in particular, slow  $I_{Ks}$  and rapid  $I_{Kr}$  delayed rectifier currents), as compared to  
71 the very fast activation of the  $I_{Ca}$  current, has been demonstrated to be behind such APD lag following  
72 sudden ISO exposure. The distinctively slow response of  $I_{Ks}$  to  $\beta$ -AS and its implications in terms of APD  
73 adaptation time have been also described in other species, like the rabbit (Liu et al., 2012). On the other  
74 hand, APD dynamicity in response to constant mechanical stretch or to the combination of constant  $\beta$ -AS  
75 and mechanical stretch has been less studied experimentally.

76 The present study investigates the cellular ventricular APD response to phasic, rather than constant,  $\beta$ -AS  
77 and mechanical stretch, in closer correspondence with the experimentally reported LF patterns of efferent  
78 sympathetic nerve activity (Pagani et al., 1997; Furlan et al., 2000). The global trend of APD response  
79 is in this case expected to be concurrent with periodic changes in APD occurring at the frequency of  
80 sympathetic activity. For this investigation, a population of computational cellular AP models representative  
81 of experimentally reported human ventricular electrophysiological characteristics is developed and coupled  
82 to models of  $\beta$ -AS and mechanics. By using the developed models, the amount of time required for LF  
83 fluctuations of APD to arise in response to phasic sympathetic activation is characterized and the ionic  
84 mechanisms underlying cell-to-cell differences in APD time lag are dissected. Experimental confirmation  
85 of the obtained results is obtained. A relationship between the quantified time lapse and the magnitude of  
86 APD oscillations is established, which serves to set links to pro-arrhythmic risk under disease conditions  
87 associated with  $Ca^{2+}$  overload and reduced repolarization reserve (RRR), both being commonly present in  
88 failing hearts.

## 2 METHODS

### 89 2.1 Experimental data

90 Ventricular myocytes were isolated from the left ventricular wall of adult beagle dogs as described in  
91 Ruzsnavszky et al. (2014). The isolation procedure followed a protocol approved by the local ethical  
92 committee according to the principles outlined in the 1964 Declaration of Helsinki and its later amendments.  
93 The cells used for this study were obtained from the subepicardial layer.

94 Transmembrane potentials were measured at 37 °C by using 3 M KCl-filled sharp glass microelectrodes  
95 with tip resistance 20-40 M $\Omega$  (Ruzsnavszky et al., 2014). The electrodes were connected to the input of an  
96 Axoclamp-2B amplifier (Molecular Devices, Sunnyvale, CA, USA). Cardiomyocytes were paced at 1 s  
97 using 1-ms wide rectangular current pulses with 120% threshold amplitude until steady-state. ISO was  
98 applied at a concentration of 10 nM for 5 minutes. APs were sampled by periods of 30 s following ISO  
99 application, with a sampling frequency of 200 kHz using Digidata 1200 A/D card (Axon Instruments Inc.,  
100 Foster City, CA, USA).

### 101 2.2 Electrophysiology model

102 A population of human ventricular AP models representative of a wide range of experimentally observed  
103 electrophysiological characteristics was built based on the O'Hara-Virág-Varró-Rudy (ORd) epicardial  
104 model (O'Hara et al., 2011). The population was obtained by varying the ionic conductances of eight ionic  
105 currents in the ORd model, namely:  $I_{Ks}$ , slow delayed rectifier potassium current;  $I_{Kr}$ , rapid delayed  
106 rectifier potassium current;  $I_{to}$ , transient outward potassium current;  $I_{CaL}$ , L-type calcium current;  $I_{K1}$ ,

107 inward rectifier potassium current;  $I_{Na}$ , sodium current;  $I_{NaK}$ , sodium-potassium pump current; and  
108  $I_{NaCa}$ , sodium-calcium exchanger current.

109 Initially, 500 models were generated by using the Latin Hypercube Sampling method to sample the  
110 conductances of the above described currents in the range  $\pm 100\%$ , (McKay et al., 1979; Pueyo et al., 2016).  
111 A set of calibration criteria based on experimentally available human ventricular measures of steady-state  
112 AP characteristics (O'Hara et al., 2011; Guo et al., 2011; Britton et al., 2017; Jost et al., 2008; Grandi  
113 et al., 2010) were imposed, as described in Table 1. AP characteristics used for model calibration included:  
114  $APD_{90|50}$ , which represents steady-state AP duration (APD) at 90%|50% repolarization corresponding to 1  
115 Hz pacing (expressed in ms); RMP, representing resting membrane potential (in mV);  $V_{peak}$ , representing  
116 peak membrane potential measured in the AP upstroke (in mV); and  $\Delta APD_{90}$ , representing the percentage  
117 of change in  $APD_{90}$  with respect to baseline following individual inhibitions of  $I_{Ks}$ ,  $I_{Kr}$  or  $I_{K1}$  currents  
118 (measured in ms). Of the initial 500 models, only 218 meeting all the calibration criteria were selected.  
119 Additionally, models showing pro-arrhythmic behavior at baseline and/or under sympathetic provocation  
120 were discarded, which led to a population of 188 models for the analysis of this study.

### 121 2.3 PKA phosphorylation model

122 A modified version of the Xie et al. (2013)  $\beta$ -adrenergic signaling model was used as a basis to describe  
123 phosphorylation levels of cellular protein kinase A (PKA) substrates, as described in Pueyo et al. (2016)  
124 and Sampedro-Puente et al. (2019). The Xie et al. (2013) model represents an evolution from the Soltis and  
125 Saucerman (2010) signaling model in which  $I_{Ks}$  phosphorylation and dephosphorylation rate constants  
126 were updated to better match experimental observations reported in Liu et al. (2012). Also, as described in  
127 Xie et al. (2013), PKA-mediated phosphorylation of phospholemman (PLM) involved an increase in the  
128  $Na^+$ - $K^+$ -ATPase (NKA) affinity for the intracellular  $Na^+$  concentration. In the modified Xie et al. (2013)  
129 model of this study, ryanodine receptors (RyR) phosphorylation was defined by using the formulation  
130 described in Heijman et al. (2011).

131 For a specific set of simulations,  $I_{Ks}$  phosphorylation and dephosphorylation kinetics were defined as  
132 reported in Soltis and Saucerman (2010) to assess the effects of faster phosphorylation kinetics on the time  
133 lapse for APD oscillations development.

### 134 2.4 Mechanics model

135 An updated version of the Niederer et al. (2006) model was employed to describe cell mechanics, with  
136 the values of some constants being adjusted to represent human cell characteristics as in Weise and Panfilov  
137 (2013) and Pueyo et al. (2016).  $I_{SAC}$ , denoting the current through SACs, was accounted for as in Pueyo  
138 et al. (2016). Specifically,  $I_{SAC}$  was defined as the current through non-specific cationic SACs plus the  
139 current through  $K^+$ -selective SACs.

### 140 2.5 Simulation of enhanced sympathetic activity

141 Enhanced sympathetic activity was simulated by the combination of phasic  $\beta$ -AS and mechanical stretch  
142 effects. Phasic  $\beta$ -AS was simulated by a periodic stepwise profile of the  $\beta$ -adrenergic agonist ISO according  
143 to muscle sympathetic nerve activity patterns in humans (Pagani et al., 1997). The periodicity of the ISO  
144 profile corresponded to a frequency of 0.05 Hz, this being within the reported Mayer wave frequency range  
145 (0.03-0.15 Hz). The 20-second ISO period was composed of a 10-second time interval where the ISO  
146 concentration was set to 1  $\mu M$  and a subsequent 10-second time interval where the ISO concentration was  
147 0. Phasic changes in hemodynamic loading, a known accompaniment of enhanced sympathetic activity,

148 were simulated by phasic mechanical stretch changes at the same 0.05 Hz frequency. Specifically, stretch  
 149 ratio was varied during the 20-second period by following a sinusoidal waveform with maximal change  
 150 being 10% , being such level of change in line with those of previous experimental and computational  
 151 studies (Iribe et al., 2014; Niederer and Smith, 2007). Phasic  $\beta$ -AS and mechanical stretch effects were  
 152 defined to be in-phase. 500 beats at baseline and 500 beats following enhanced sympathetic activity were  
 153 simulated while pacing at 1 Hz frequency.

## 154 2.6 Simulation of disease conditions

155 For specific simulations, disease conditions were simulated by Reduced Repolarization Reserve (RRR)  
 156 and  $\text{Ca}^{2+}$  overload. RRR was defined by concomitant inhibition of  $I_{Kr}$  and  $I_{Ks}$  currents by 30% and 80%,  
 157 respectively.  $\text{Ca}^{2+}$  overload was defined by a 4-fold increment in the extracellular  $\text{Ca}^{2+}$  level.

## 158 2.7 Quantification of APD time lag in response to constant $\beta$ -AS and/or mechanical 159 stretch

160 APD was evaluated at 90% repolarization in both simulations and experiments. The simulated or  
 161 experimentally measured APD time series following  $\beta$ -AS and/or mechanical stretch is denoted by  $a[k]$ ,  
 162 where the discrete index  $k$  represents cycle number. Thus,  $k$  varies from 0 to  $K$ , with  $K$  being the number  
 163 of cycles following  $\beta$ -AS and/or mechanical stretch.

164 The time lapse,  $\tau_{\text{APD}}$ , for APD to reach a new steady-state following application of  $\beta$ -AS and/or stretch  
 165 was defined as the time taken by the APD time series to attain convergence, with convergence characterized  
 166 by the derivative of the APD time series being below a predefined threshold. Specifically, the following  
 167 steps were used to compute the APD time lapse:

### 168 1. Smoothing

169 To remove short-term variability and make the estimation of the convergence time more robust,  
 170 moving average smoothing was applied onto the APD time series  $a[k]$  to obtain a smooth version of it,  
 171  $\hat{a}[k]$ :

$$\hat{a}[k] = \frac{1}{T} \sum_{k'=k}^{k+T} a[k'] \quad (1)$$

172 where  $T$  was set to the period in cycles of the sympathetic activity,  $T = 20$  cycles.

### 173 2. Numerical derivative

174 From  $\hat{a}[k]$ , the derivative  $d[k]$  was numerically estimated by computing the central difference for the  
 175 interior data points of  $\hat{a}[k]$  and single-side difference for the edges of  $\hat{a}[k]$ :

$$d[k] = \frac{\hat{a}[k+1] - \hat{a}[k-1]}{2}, \quad 0 < k < K \quad (2)$$

$$d[0] = \hat{a}[1] - \hat{a}[0] \quad (3)$$

$$d[K] = \hat{a}[K] - \hat{a}[K-1] \quad (4)$$

### 178 3. Time lapse calculation

A threshold on the maximum allowed variation in the derivative of the APD time series for  
 convergence to be attained was defined in this study by setting  $\theta = 0.5$  ms. The number of cycles,  $k_{\text{APD}}$ ,

for APD convergence following  $\beta$ -AS and/or stretch was defined as:

$$k_{\text{APD}} = \min_{0 \leq k \leq K} \left\{ \left| \sum_{k'=k}^K d[k'] \right| < \theta \right\} \quad (5)$$

179 The time lapse  $\tau_{\text{APD}}$  was obtained by converting  $k_{\text{APD}}$  into minutes:

$$\tau_{\text{APD}} = k_{\text{APD}} \frac{CL}{60} \quad (6)$$

180 where  $CL$  is the cycle length in seconds (constant period between stimuli applied to the cells to elicit  
181 APs).

182 Values of  $\tau_{\text{APD}}$  equal to 0 represent cases where convergence of the APD time series was immediate.

### 3 RESULTS

#### 183 3.1 Time lapse for development of LF oscillations in APD

184 Fig. 1 shows examples of APD time series for two different human ventricular cells of our simulated  
185 population presenting LF oscillations following sympathetic provocation. From this figure, it is clear that  
186 not only the magnitude of the oscillations is different for the two cells but also the time lapse required for  
187 LF oscillations of APD to become evident is remarkably distinct. For the first virtual cell illustrated in Fig.  
188 1, the time lapse was  $\tau_{\text{APD}} = 139$  s, whereas for the second virtual cell,  $\tau_{\text{APD}} = 0$  s. The characteristics of  
189 these two cells in terms of ionic current conductances are presented in Table 2.

190 Fig. 2, left panel, presents a histogram of the time lapse for APD oscillations developed in response to a  
191 rise in sympathetic activity for all the cells in our virtual population. Inter-individual differences in the ionic  
192 characteristics of the virtual cells had an impact on  $\tau_{\text{APD}}$ , which ranged from just a few seconds for some  
193 virtual cells to more than three minutes for other cells. Similarly, Fig. 2, right panel, shows a histogram of  
194 the power in the LF band (PLF) for APD oscillations under sympathetic provocation, represented in terms  
195 of  $\log(\text{PLF})$ . Large inter-individual variability also exists in  $\log(\text{PLF})$ , with values covering from 0 to 10  
196  $\text{ms}^2$ , although most cells present PLF values below 5  $\text{ms}^2$ .

#### 197 3.2 Contribution of $\beta$ -AS and mechanical stretch to time lapse of LF oscillations in APD

198 The individual and combined contributions of phasic  $\beta$ -AS and mechanical stretch to the time lapse in  
199 the occurrence of LF oscillations of APD is presented in Fig. 3, left panel. As can be observed from the  
200 figure, individual application of phasic  $\beta$ -AS had a major role in the time required for APD oscillations to  
201 develop, whereas individual mechanical stretch had a more marginal influence, with the vast majority of  
202 simulated cells developing LF oscillations in response to phasic stretch in less than one minute. When the  
203 effects of  $\beta$ -AS and stretch were combined, the APD convergence time was reduced with respect to that  
204 corresponding to only  $\beta$ -AS for practically all cells.

205 Additionally, Fig. 3, right panel, illustrates the oscillation magnitudes in terms of  $\log(\text{PLF})$  for individual  
206 and combined  $\beta$ -AS and mechanical stretch. Individual mechanical stretch led to the largest oscillations  
207 magnitudes, in association with the shortest time delays, whereas individual  $\beta$ -adrenergic stimulation led  
208 to the smallest magnitudes, in association with the largest time lapses. Nevertheless, high inter-individual  
209 variability could be observed in all cases.

### 210 3.3 Comparison of APD time lapse following $\beta$ -AS in experiments and simulations

211 Based on the results presented in sections 3.1 and 3.2 and the fact that LF oscillations of APD are  
212 superimposed to the general trend of APD decrease following enhanced sympathetic activity, the time lapse  
213 for the development of APD oscillations can equivalently be determined by the time required for APD to  
214 converge to steady-state following constant  $\beta$ -AS.

215 The temporal evolution of APD following constant application of an ISO dose of 10 nM was investigated  
216 in simulations based on our generated population of cells and compared with our experimental data recorded  
217 by using the same  $\beta$ -AS protocol with the same ISO dose. Fig. 4 presents  $\Delta$ APD, calculated by subtracting  
218 the mean APD value at baseline (prior to ISO application) to the APD time series measured following  
219  $\beta$ -AS, for both simulated and experimental data from single ventricular myocytes. It can be noted from  
220 the figure that large cell-to-cell variability exists in the time lag of measured APD responses, with the  
221 transition times required to reach steady-state following ISO application varying by several minutes. This  
222 cell-to-cell heterogeneity in the APD response to constant  $\beta$ -AS serves as a basis to explain the cell-to-cell  
223 differences in the data presented in Fig. 3 (left column), corresponding to phasic  $\beta$ -AS at a 1  $\mu$ M ISO dose,  
224 which includes APD oscillations overlapped with the decrease in APD. Of note, the simulated time lags  
225 in our virtual population of cells are representative of the values measured experimentally in ventricular  
226 cardiomyocytes.

### 227 3.4 Reduction in time lapse for LF oscillations of APD by prior low-level $\beta$ -AS

228 The possibility that prior stimulation of  $\beta$ -adrenoceptors could reduce the time required for APD to  
229 develop LF oscillations in response to enhanced sympathetic activity was next explored. Fig. 5 presents  
230 results of the time lapse for oscillations development in response to phasic 1  $\mu$ M ISO application for eight  
231 different cases with prior  $\beta$ -AS corresponding to ISO levels varying from 0 to 0.07  $\mu$ M in 0.01  $\mu$ M-steps,  
232 with each of these pre-stimulation periods applied for 500 beats at 1 Hz pacing frequency. From this figure,  
233 it is clear that the time lapse was remarkably reduced as a function of the pre-stimulation level. For a prior  
234 stimulation with an ISO dose of 0.05  $\mu$ M, ie. 50 nM, most virtual cells developed LF oscillations in APD  
235 practically in an instantaneous way after applying the maximal ISO dose of 1  $\mu$ M. There are still some  
236 cells for which the time lapse is above three minutes even if  $\beta$ -adrenoceptors were previously stimulated.  
237 Pre-stimulation did not have any remarkable effect on the magnitude of the APD oscillations.

### 238 3.5 Ionic mechanisms underlying time lapse in LF oscillations of APD

239 To ascertain the ionic mechanisms underlying the time required for APD to develop LF oscillations  
240 following phasic  $\beta$ -AS, the effect of phosphorylation and dephosphorylation kinetics of all cellular PKA  
241 substrates was investigated. Fig. 6, left panel, presents the phosphorylation levels of all these substrates in  
242 response to 5-minute adrenergic stimulation. As can be observed from the figure, the substrates presenting  
243 slower phosphorylation responses are the slow delayed rectifier channels, associated with the  $I_{Ks}$  current,  
244 and ryanodine receptors, RyR.

245 To assess the extent to which variations in the phosphorylation and dephosphorylation kinetics of  
246  $I_{Ks}$  influenced the time for development of APD oscillations, simulations were run where the  $I_{Ks}$   
247 phosphorylation and dephosphorylation rate constants were increased to the values described in Soltis and  
248 Saucerman (2010) from which an update was presented in a subsequent study by Xie et al. (2013) to more  
249 reliably recapitulate PKA-dependent regulation of  $I_{Ks}$ . Specifically, the  $I_{Ks}$  phosphorylation rate constant  
250 was changed from 8.52 to 84  $s^{-1}$  and the  $I_{Ks}$  dephosphorylation rate constant was changed from 0.19 to  
251 1.87  $s^{-1}$ . According to the results presented in Fig. 6, right panel, it is clear that the time lapse for APD

252 oscillations was very notably reduced after increasing those rate constants, thus indicating the dependence  
253 of the APD oscillatory time lapse on  $I_{K_s}$  phosphorylation kinetics. On the other hand, variations in the  
254 phosphorylation kinetics of RyR had no impact on the time lapse for APD oscillations to develop, even if  
255 these were varied by a factor of up to ten times their nominal values.

256 Based on the above results, and considering that cell-to-cell differences in our population of models  
257 correspond to different ionic current conductance contributions, it was hypothesized that inter-individual  
258 differences in the time lapse for APD oscillation development was based on their differential  $I_{K_s}$   
259 contributions. Simulations were run where  $I_{K_s}$  was inhibited at different levels and a monotonic decrease  
260 in oscillation time lapse could be quantified for increasingly larger inhibitions, as illustrated in Fig. S1 and  
261 Fig. S2 of the Supplementary Material. For full  $I_{K_s}$  blockade, APD oscillations became apparent almost  
262 immediately.

### 263 3.6 Relationship between time lapse and magnitude of LF oscillations of APD

264 To assess the relationship between the time lapse for development of LF oscillations in APD and the  
265 magnitude of such oscillations, a set of models was built in such a way that they all share the same  
266 characteristics of the ORD-Xie coupled electrophysiology- $\beta$ -adrenergic signaling model, except for  $I_{K_s}$   
267 phosphorylation and dephosphorylation rate constants, which were varied from model to model so that  
268 they covered from the slowest dynamics reported in Xie et al. (2013) to the fastest dynamics reported in  
269 Soltis and Saucerman (2010). Fig 7, left panel, shows the relation between the magnitude of LF oscillations  
270 in APD, quantified by the LF power in the 0.04-0.15 Hz band denoted by PLF, and the time lapse for  
271 oscillation development, quantified by  $\tau_{APD}$ . It can be observed from the figure that the models with the  
272 fastest  $I_{K_s}$  phosphorylation dynamics are those presenting the shortest time lapse and the highest APD  
273 oscillatory magnitude.

274 To substantiate this result, Fig. 7, right panel, shows  $I_{K_s}$  phosphorylation levels calculated according  
275 to the signaling models in Xie et al. (2013) and Soltis and Saucerman (2010), corresponding to the two  
276 most extreme points shown in Fig. 7, left panel. It can be observed from the graphic that, for the model in  
277 Soltis and Saucerman (2010), not only are the  $I_{K_s}$  phosphorylation dynamics faster but also the associated  
278 oscillations are of larger magnitude. These enhanced oscillations in  $I_{K_s}$  phosphorylation have an impact  
279 on the AP, which is manifested by a larger oscillatory magnitude of APD.

280 In the whole population of virtual cells, where all cells present the same phosphorylation kinetics but  
281 the conductance of  $I_{K_s}$  varies from one cell to another, consequently modulating the influence of  $I_{K_s}$   
282 phosphorylation fluctuations on APD oscillatory behavior, the inverse relationship between PLF and  $\tau_{APD}$   
283 can still be appreciated. This is shown in Fig. 10, which presents PLF vs  $\tau_{APD}$  for cells under healthy  
284 conditions divided into two groups depending on the presence/absence of pro-arrhythmic effects when  
285 disease conditions were simulated, as described in the next section.

### 286 3.7 Effect of disease conditions in time lapse of LF oscillations of APD and relation to 287 arrhythmogenesis

288 Simulation of disease conditions by  $Ca^{2+}$  overload and RRR in our population of models led to a sharp  
289 decrease in the APD oscillatory time lapse following increased sympathetic activity. This is illustrated in  
290 Fig. 8, left panel, which shows zero-mean APD time series (after subtraction of the corresponding baseline  
291 value to facilitate comparison) for one of the cells in the virtual population under healthy and pathological  
292 conditions. The value of  $\tau_{APD}$  decreased from 130 ms to 0 ms due to the effects of disease. Fig. 8, right  
293 panel, summarizes the observed changes in  $\tau_{APD}$  when simulating disease conditions in the subpopulation



294 of cells that did not present pro-arrhythmic events. Whereas  $\text{Ca}^{2+}$  overload had mild effects on  $\tau_{\text{APD}}$ ,  
295 the effects of RRR, individually or in the presence of  $\text{Ca}^{2+}$  overload, contributed to a very remarkable  
296 reduction in the oscillatory time lapse.

297 When disease conditions were simulated as accompanied by an increase in the conductance of non-  
298 specific cationic SACs in accordance with experimental evidences (Guinamard et al., 2006; Kamkin et al.,  
299 2000), arrhythmogenic events were generated in some of the virtual cells of the population following  
300 sympathetic provocation. These were in the form of afterdepolarizations and spontaneous beats and  
301 occurred in 46.34% of the virtual cells that did not show any pro-arrhythmic manifestation at baseline.  
302 Examples are illustrated in Fig. 9. To assess whether individual cell oscillatory characteristics evaluated  
303 under healthy conditions were related to pro-arrhythmicity, the time lapse, quantified by  $\tau_{\text{APD}}$ , and the  
304 magnitude of APD oscillations, quantified by PLF, were compared between the groups of cells presenting  
305 and not presenting arrhythmogenic events. Results are presented in Fig. 10, left and middle panels. As can  
306 be observed from the figure, little differences in the mean or median  $\tau_{\text{APD}}$  were found between the two  
307 groups. On the other hand, larger differences in PLF were seen between the groups, with the one presenting  
308 arrhythmogenic events in response to increased sympathetic activity being associated with remarkably  
309 larger mean and median PLF (note that the logarithm of PLF is represented in Fig. 10). Boxplots of  $\tau_{\text{APD}}$   
310 and  $\log(\text{PLF})$  for the groups of cells presenting and not presenting arrhythmogenic events are shown in Fig.  
311 S3 of the Supplementary Material.

312 The relationship between PLF and  $\tau_{\text{APD}}$  in the population of cells prior to introducing disease conditions  
313 is presented in Fig. 10, right panel, for the pro-arrhythmic and non-pro-arrhythmic groups. In both groups,  
314 larger values of PLF were associated with shorter values of  $\tau_{\text{APD}}$ , although high inter-individual variability  
315 could be noticed. The Spearman correlation coefficient was  $\rho = -0.82$  in the pro-arrhythmic group and  $\rho =$   
316  $-0.57$  in the non-pro-arrhythmic group.

## 4 DISCUSSION

### 317 4.1 Inter-individual differences in the time lapse for development of LF oscillations of 318 APD following enhanced sympathetic activity

319 The research presented in this study has shown that LF oscillations of human ventricular repolarization,  
320 reported in the T-wave of the ECG and locally in ARIs of unipolar epicardial electrograms, do not develop  
321 immediately upon a sympathetic rise but take some time to become apparent. An algorithm has been  
322 proposed to robustly quantify the time lapse required for APD to develop sympathetically-mediated LF  
323 oscillations. This time lapse has been shown to be highly variable from one cell to another, ranging from  
324 just a few seconds to more than three minutes depending on the ionic characteristics of each individual  
325 cell. Following enhanced sympathetic activity, the APD shows a trend of shortening, or brief prolongation  
326 followed by more sustained shortening, which masks overlapping oscillations. Only when such APD  
327 shortening has been completed, APD oscillations become manifest.

328 The range of time lags for APD oscillatory behavior following sympathetic provocation is of the order of  
329 adaptation lags reported for the QT interval of the ECG in response to increases in sympathetic activity  
330 leading to abrupt heart rate increases, either measured from ambulatory Holter recordings (Pueyo et al.,  
331 2004) or following tilt test (Pueyo et al., 2008; Nosakhare et al., 2014). Those repolarization dynamics have  
332 also been recently investigated in experimental studies using fully innervated Langendorff-perfused mouse  
333 and rabbit hearts, where the APD response to bilateral sympathetic nerve stimulation has been described  
334 (Wang et al., 2019). In those studies ventricular repolarization was modulated both by direct sympathetic

335 action on the ventricular myocardium as well as indirectly by heart rate-related effects. In the present study,  
336 CL was kept constant and the ventricular response was thus only assessed as due to sympathetic effects on  
337 the ventricle, as in *in vivo* electrogram recordings from patients where LF oscillations of ARI have been  
338 characterized while controlling CL with right ventricular pacing (Hanson et al., 2014; Porter et al., 2018).

339 The prolonged time lapses for LF oscillatory behavior of APD following enhanced sympathetic activity  
340 quantified in this study can help to explain why oscillations seem to appear and disappear, as observed in  
341 *in vivo* studies (Hanson et al., 2014), where APD oscillatory behavior could only be measured at certain  
342 time intervals of the analyzed recordings. Those time intervals could be speculated to be associated with  
343 sustained sympathetic activation so that enough time was allowed for LF oscillations in APD to develop.

344 In this work sympathetic provocation was simulated by concomitant phasic changes in  $\beta$ -AS and  
345 mechanical stretch. The involvement of each of these two components in the protracted LF oscillatory  
346 response to a sympathetic rise has been assessed. Our results have determined that mechanical stretch  
347 induces LF oscillations of APD in an almost instantaneous manner, whereas  $\beta$ -AS entails much longer  
348 APD time courses until LF oscillations can be clearly appreciated. Based on the fact that the time lapse is  
349 mainly due to the slow response to  $\beta$ -AS, this study has next validated the calculated time lapses against  
350 *in vitro* data from ventricular myocytes following sudden exposure to ISO. Both in the experiments and  
351 the simulations of this study, the time required for APD to reach steady-state following sudden  $\beta$ -AS was  
352 found to highly vary from cell to cell. Simulated time lapses were comprised within the experimental limits  
353 quantified for the ventricular myocytes of this and other studies (Ruzsnaszky et al., 2014; Liu et al., 2012),  
354 thus confirming validation of our population of models to reproduce available evidences on the APD time  
355 course in response to  $\beta$ -AS.

356 To further support our conclusions on the key role of  $\beta$ -AS in determining the time lapse for LF  
357 oscillations of APD to develop, the effects of pre-stimulating ventricular cells with a lower dose of the  
358  $\beta$ -adrenergic agonist ISO have been tested. Results have confirmed that the oscillatory time lapse is highly  
359 dependent on  $\beta$ -adrenoceptors' state. The higher the prior stimulation level of  $\beta$ -adrenoceptors, the shorter  
360 the time for development of LF oscillations. This reduction in the oscillatory time lapse by prior ISO  
361 exposure agrees with common knowledge on pre-stimulation of  $\beta$ -adrenoceptors altering the impact of  
362  $\beta$ -AS. Under conditions associated with high sympathetic tone, as in failing or aged ventricles, sympathetic  
363 surge would thus be expected to induce LF oscillations of repolarization with shorter latency. Consequently,  
364 due to the less stringent requirements on the time period of sustained sympathetic activation for LF  
365 oscillatory behavior to ensue in failing or aged ventricles, this is anticipated to facilitate the occurrence  
366 of such oscillations, with the corresponding potentially adverse consequences (Rizas et al., 2014, 2017;  
367 Pueyo et al., 2016; Sampedro-Puente et al., 2019).

#### 368 **4.2 Major role of $I_{Ks}$ phosphorylation kinetics in determining the time lapse for LF** 369 **oscillations of APD**

370 The mechanisms underlying the slow appearance of APD oscillations following sympathetic provocation,  
371 particularly related to the protracted response to  $\beta$ -AS, have been ascertained in this work by comparing the  
372 phosphorylated levels of all cellular substrates accounted for in the modified  $\beta$ -adrenergic signaling model  
373 by Xie et al. (2013) used as a basis for this study. Two cellular substrates, namely  $I_{Ks}$  and RyR, have been  
374 shown to present responses to  $\beta$ -AS being remarkably slower than those of all other substrates. The time  
375 required for  $I_{Ks}$  and RyR phosphorylation levels to reach steady-state upon  $\beta$ -AS is around three minutes,  
376 this being close to the maximum time lapse for APD oscillations to appear in our simulated population of  
377 models, while the phosphorylation levels of the remaining cellular substrates reach steady-state in no more

378 than 20-30 seconds. In other  $\beta$ -adrenergic signaling models, as in the model by Heijman et al. (2011),  $I_{Ks}$   
379 and RyR present slow kinetics too, although there are other substrates, like the  $\text{Na}^+$ - $\text{K}^+$ -ATPase current,  
380 with even slower kinetics.

381 The impact of the slow  $I_{Ks}$  and RyR phosphorylation kinetics on the APD time course following  
382 sympathetic stimulation has been assessed by varying their phosphorylation and dephosphorylation rate  
383 constants. Whereas variations in the kinetics of  $I_{Ks}$  are proved to have relevant effects on the time lapse  
384 for APD oscillations, the influence of variations in the RyR kinetics is negligible. The irrelevant role of  
385 RyR phosphorylation on  $\tau_{\text{APD}}$  as compared to that of  $I_{Ks}$  phosphorylation can be explained on the basis of  
386 their very distinct impact on APD. RyR phosphorylation has been described in this study according to the  
387 formulation proposed in Heijman et al. (2011), where it has been shown that disabling RyR phosphorylation  
388 leads to little variations in APD with respect to measurements when all substrates are phosphorylated. On  
389 the other hand,  $I_{Ks}$  phosphorylation has much more prominent effects on APD (Xie et al., 2013). To further  
390 support the role of  $I_{Ks}$  in determining the APD oscillatory latency, this current has been inhibited to various  
391 extents and it has been confirmed that the larger the  $I_{Ks}$  current amplitude, the longer the latency. These  
392 results lead us to conclude that the high inter-individual variability in the time lapse for APD oscillations  
393 characterized in our population of models can be explained by differential  $I_{Ks}$  contributions from one cell  
394 to another.

395 The important role of  $I_{Ks}$  during  $\beta$ -AS has been pointed out in numerous studies (Volders et al., 2003;  
396 Johnson et al., 2010, 2013; Hegyi et al., 2018; Varshneya et al., 2018). Reduced  $I_{Ks}$  responsiveness to  
397  $\beta$ -AS has been suggested to increase arrhythmia susceptibility in a heart failure animal model (Hegyi  
398 et al., 2018). In ventricular myocytes, loss of  $I_{Ks}$  current has been experimentally shown to exaggerate  
399 beat-to-beat APD variability in response to  $\beta$ -AS (Johnson et al., 2010, 2013) and computationally proved  
400 to facilitate the generation of pro-arrhythmic early afterdepolarizations (Varshneya et al., 2018). Our results  
401 provide additional support to the role of  $I_{Ks}$  during  $\beta$ -AS, as reduced  $I_{Ks}$  shortens the oscillatory latency  
402 and thus facilitates the occurrence of LF oscillations of APD. This oscillatory behavior of ventricular  
403 repolarization can be seen as a particular form of beat-to-beat variability restricted to frequencies in the  
404 Mayer wave frequency range (0.03-15 Hz).

#### 405 **4.3 Increased arrhythmic risk as a function of the time lapse and magnitude of LF** 406 **oscillations of APD**

407 RRR, individually or combined with  $\text{Ca}^{2+}$  overload, has been found to dramatically reduce the time lapse  
408 for sympathetically-induced oscillatory behavior. This can be understood on the basis that under RRR the  
409 amount of  $I_{Ks}$  current is reduced and, provided phosphorylation kinetics are not varied, this leads to a  
410 reduction in the oscillation time lag of the APD. Since the above holds for each of the virtual cells in the  
411 population built this study, the time lapse values measured under pathological conditions are lower than the  
412 ones corresponding to non-pathological conditions.

413 A comparison for time lapses calculated for cells under healthy conditions has been established while  
414 considering two groups of interest, one composed of cells presenting and the other one not presenting  
415 arrhythmogenic events after simulation of disease conditions. Results have been shown to be comparable.  
416 However, in both the pro-arrhythmic and non-pro-arrhythmic groups, there is an inverse relationship  
417 between the magnitude of LF oscillations of APD, measured by PLF, and the time required for such  
418 oscillations to develop. These findings indicate that cells in which APD oscillations appear rapidly in  
419 response to enhanced sympathetic activity are associated with larger oscillatory magnitudes. Although  
420 the inverse relationship between PLF and the oscillatory time lapse holds true for both groups, such a

421 relationship is steeper in the pro-arrhythmic group, with given low time lapse values associated with larger  
422 oscillatory magnitudes. Those enhanced magnitudes may facilitate the occurrence of arrhythmic events  
423 that can act as triggers for arrhythmias and at the same time they may contribute to a more vulnerable  
424 substrate by increasing spatial repolarization inhomogeneities between regions being at different oscillating  
425 phases. This increased arrhythmia susceptibility associated with elevated LF oscillations of repolarization  
426 has been postulated by *in silico* studies (Pueyo et al., 2016; Sampedro-Puente et al., 2019) and confirmed  
427 by *in vivo* research on a CAVB dog model (Sprenkeler et al., 2019) as well as clinical studies in post-  
428 infarction patients. (Rizas et al., 2017). These results are in line with studies associating higher levels of  
429 temporal repolarization variability, in the form of alternans or in other forms, with increased arrhythmic  
430 risk (Rosenbaum, 2001; Porter et al., 2019).

431 The role of  $I_{Ks}$  expression and phosphorylation dynamics in pro-arrhythmia that has been uncovered  
432 in the present study is in line with previous studies investigating ventricular repolarization response to  
433  $\beta$ -AS. The slow  $I_{Ks}$  phosphorylation kinetics as compared to the fast  $I_{Ca}$  kinetics have been reported  
434 to be behind the generation of transient arrhythmogenic early afterdepolarizations (Xie et al., 2013; Liu  
435 et al., 2012) and APD alternans (Xie et al., 2014b) upon sudden ISO application. In our study, the fact of  
436 simulating a whole population of cells allows to additionally reveal the importance of  $I_{Ks}$  conductance  
437 in determining  $\tau_{APD}$ , as  $I_{Ks}$  conductance modulates the relevance of  $I_{Ks}$  dynamics on APD time course  
438 during  $\beta$ -AS. Additionally, differential  $I_{Ks}$  and  $I_{Ca}$  activation kinetics in response to sudden  $\beta$ -AS have  
439 been shown to promote the transition from ventricular tachycardia to ventricular fibrillation by transiently  
440 steepening APD restitution in simulated ventricular tissues (Xie et al., 2014a). This same ionic mismatch  
441 has been suggested as a plausible mechanism underlying a transitory increase in the risk for arrhythmias by  
442 application of sudden adrenergic stress in isolated innervated rabbit hearts treated with a potassium channel  
443 blocker and subjected to sustained parasympathetic stimulation (Winter et al., 2018).

#### 444 4.4 Study limitations

445 In this study, simulations have been run to quantify the time lapse for development of sympathetically-  
446 mediated LF oscillations of APD in a large population of human ventricular AP models developed based  
447 on available experimental data. After confirming the role of  $\beta$ -AS, over the role of mechanical stretch, in  
448 determining such oscillatory time lapse, our simulated results were compared with available *in vitro* data  
449 from isolated canine ventricular myocytes in response to sudden administration of a  $\beta$ -adrenergic agonist.  
450 Despite differences between species, experimental studies have shown that ventricular repolarization  
451 characteristics of canine cardiomyocytes closely resemble those of human cardiomyocytes (Szabó et al.,  
452 2005; Szentandrassy et al., 2005). If additional *in vitro* and/or *in vivo* data became available to analyze the  
453 time required for ARI or APD oscillations to become manifest following sympathetic provocation, further  
454 validation of the results obtained in the present study could be performed.

455 The simulated results presented in this study correspond to single cells. As a continuation of this  
456 investigation, tissue models built on the basis of the present population of AP models could be used  
457 to assess whether other tissue-specific factors could play a relevant role in the time required for APD  
458 oscillations to develop, in the magnitude of such oscillations as well as in the associated consequences in  
459 terms of pro-arrhythmic risk.

460 The population of human ventricular computational models built in this study used the O'Hara et al.  
461 (2011) model as a basis to describe human ventricular electrophysiology and calcium dynamics, whereas  
462 mechanics were described by a modified version of the Niederer et al. (2006) model. For  $\beta$ -adrenergic  
463 signaling, the Xie et al. (2013) model was used as a basis and the Soltis and Saucerman (2010) model

464 was used for additional comparisons. These selections might have an impact on the conclusions reached  
465 in this study, particularly regarding quantitative values for the time required for LF oscillations of APD  
466 to develop. Nevertheless, in Pueyo et al. (2016), different human and animal cell models were tested for  
467 APD oscillatory behavior, confirming model-independence in qualitative terms with only some quantitative  
468 differences between different electrophysiological models, particularly for different species. Future studies  
469 could address the investigations conducted in this study while using other cellular models as a basis for  
470 construction of a population of models representative of human or animal ventricular electrophysiological  
471 characteristics reported experimentally and compare with the results of this study.

472 The developed population of human ventricular AP models was deterministic. Future work could include  
473 incorporation of stochasticity into the main ionic currents active during AP repolarization. This would  
474 allow accounting for beat-to-beat repolarization variability, which might have an effect in the time course  
475 for development of LF oscillations of APD.

476 An ISO dose of  $0 \mu\text{M}$  was used to represent  $\beta$ -AS under baseline conditions. Although results are  
477 anticipated to be very similar to those obtained for a low ISO dose slightly above 0, somewhat different  
478 time lapse values for APD oscillations might be quantified.

## 5 CONCLUSIONS

479 Human ventricular repolarization presents low-frequency oscillations that develop following enhanced  
480 sympathetic activity at time lapses varying from a few seconds to more than three minutes depending on  
481 individual cells characteristics. The latency in the oscillatory development is due to the slow ventricular  
482 response to  $\beta$ -adrenergic stimulation and, specifically, it is associated with the slow phosphorylation kinetics  
483 of the  $I_{Ks}$  current. Prior stimulation of  $\beta$ -adrenoceptors reduces the time required for the development  
484 of repolarization oscillations. Short time lapses are associated with large APD oscillatory magnitudes,  
485 particularly in cells susceptible to develop arrhythmogenic events in response to sympathetic stimulation.

## AUTHOR CONTRIBUTIONS

486 EP and PT devised the project, the main conceptual ideas and proof outline, and were responsible for  
487 overseeing the research and providing critical insight and recommendations regarding the focus, structure  
488 and content of the paper. DS and JF performed computational simulations and analyzed the data results.  
489 NS and PN contributed with technical details and analysis support. All authors participated in writing and  
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## REFERENCES

- 500 Bauer, A., Klemm, M., Rizas, K. D., Hamm, W., von Stülpnagel, L., Dommasch, M., et al. (2019).  
501 Prediction of mortality benefit based on periodic repolarisation dynamics in patients undergoing  
502 prophylactic implantation of a defibrillator: a prospective, controlled, multicentre cohort study. *Lancet* 0.  
503 doi:10.1016/S0140-6736(19)31996-8
- 504 Britton, O. J., Bueno-Orovio, A., Virág, L., Varró, A., and Rodriguez, B. (2017). The electrogenic  
505 Na<sup>+</sup>/K<sup>+</sup> pump is a key determinant of repolarization abnormality susceptibility in human ventricular  
506 cardiomyocytes: A population-based simulation study. *Front. Physiol.* 8
- 507 Furlan, R., Porta, A., Costa, F., Tank, J., Baker, L., Schiavi, R., et al. (2000). Oscillatory patterns in  
508 sympathetic neural discharge and cardiovascular variables during orthostatic stimulus. *Circulation* 101,  
509 886–92. doi:10.1161/01.cir.101.8.886
- 510 Grandi, E., Pasqualini, F. S., and Bers, D. M. (2010). A novel computational model of the human ventricular  
511 action potential and Ca transient. *J. Mol. Cell. Cardiol.* 48, 112–121
- 512 Guinamard, R., Demion, M., Magaud, C., Potreau, D., and Bois, P. (2006). Functional Expression of  
513 the TRPM4 Cationic Current in Ventricular Cardiomyocytes From Spontaneously Hypertensive Rats.  
514 *Hypertension* 48, 587–594. doi:10.1161/01.HYP.0000237864.65019.a5
- 515 Guo, D., Liu, Q., Liu, T., Elliott, G., Gingras, M., Kowey, P. R., et al. (2011). Electrophysiological  
516 Properties of HBI-3000: A New Antiarrhythmic Agent With Multiple-channel Blocking Properties  
517 in Human Ventricular Myocytes. *J. Cardiovasc. Pharmacol.* 57, 79–85. doi:10.1097/FJC.  
518 0b013e3181ffe8b3
- 519 Hanson, B., Child, N., Van Duijvenboden, S., Orini, M., Chen, Z., Coronel, R., et al. (2014). Oscillatory  
520 behavior of ventricular action potential duration in heart failure patients at respiratory rate and low  
521 frequency. *Front. Physiol.* 5, 414
- 522 Hegyi, B., Bányász, T., Izu, L. T., Belardinelli, L., Bers, D. M., and Chen-Izu, Y. (2018).  $\beta$ -adrenergic  
523 regulation of late Na<sup>+</sup> current during cardiac action potential is mediated by both PKA and CaMKII. *J.*  
524 *Mol. Cell. Cardiol.* 123, 168–179
- 525 Heijman, J., Volders, P. G., Westra, R. L., and Rudy, Y. (2011). Local control of  $\beta$ -adrenergic stimulation:  
526 effects on ventricular myocyte electrophysiology and Ca<sup>2+</sup>-transient. *J. Mol. Cell. Cardiol.* 50, 863–871
- 527 Iribe, G., Kaneko, T., Yamaguchi, Y., and Naruse, K. (2014). Load dependency in force-length relations  
528 in isolated single cardiomyocytes. *Prog. Biophys. Mol. Biol.* 115, 103–114. doi:10.1016/j.pbiomolbio.  
529 2014.06.005
- 530 Johnson, D. M., Heijman, J., Bode, E. F., Greensmith, D. J., van der Linde, H., Abi-Gerges, N., et al.  
531 (2013). Diastolic spontaneous calcium release from the sarcoplasmic reticulum increases beat-to-beat  
532 variability of repolarization in canine ventricular myocytes after  $\beta$ -adrenergic stimulation. *Circ. Res.*  
533 112, 246–256
- 534 Johnson, D. M., Heijman, J., Pollard, C. E., Valentin, J.-P., Crijns, H. J., Abi-Gerges, N., et al. (2010). Iks  
535 restricts excessive beat-to-beat variability of repolarization during beta-adrenergic receptor stimulation.  
536 *J. Mol. Cel. Cardiol.* 48, 122–130
- 537 Jost, N., Varro, A., Szuts, V., Kovacs, P. P., Seprényi, G., Biliczki, P., et al. (2008). Molecular basis of  
538 repolarization reserve differences between dogs and man. *Circulation* 118
- 539 Kamkin, A., Kiseleva, I., and Isenberg, G. (2000). Stretch-activated currents in ventricular myocytes:  
540 amplitude and arrhythmogenic effects increase with hypertrophy. *Cardiovasc. Res.* 48, 409–20. doi:10.  
541 1016/s0008-6363(00)00208-x

- 542 Liu, G.-X., Choi, B.-R., Ziv, O., Li, W., de Lange, E., Qu, Z., et al. (2012). Differential conditions for early  
543 after-depolarizations and triggered activity in cardiomyocytes derived from transgenic LQT1 and LQT2  
544 rabbits. *J. Physiol.* 590, 1171–1180. doi:10.1113/jphysiol.2011.218164
- 545 McKay, M. D., Beckman, R. J., and Conover, W. J. (1979). A comparison of three methods for selecting  
546 values of input variables in the analysis of output from a computer code. *Technometrics* 21, 239.  
547 doi:10.2307/1268522
- 548 Niederer, S., Hunter, P., and Smith, N. (2006). A Quantitative Analysis of Cardiac Myocyte Relaxation: A  
549 Simulation Study. *Biophys. J.* 90, 1697–1722. doi:10.1529/BIOPHYSJ.105.069534
- 550 Niederer, S. A. and Smith, N. P. (2007). A mathematical model of the slow force response to stretch in rat  
551 ventricular myocytes. *Biophys. J.* 92, 4030–4044. doi:10.1529/biophysj.106.095463
- 552 Nosakhare, E., Verghese, G. C., Tasker, R. C., and Heldt, T. (2014). Qt interval adaptation to changes in  
553 autonomic balance. In *Comput. in Cardiology*. vol. 41, 605–608
- 554 O’Hara, T., Virág, L., Varró, A., and Rudy, Y. (2011). Simulation of the undiseased human cardiac  
555 ventricular action potential: model formulation and experimental validation. *PLoS Comput. Biol.* 7,  
556 e1002061
- 557 Pagani, M., Montano, N., Porta, A., Malliani, A., Abboud, F. M., Birkett, C., et al. (1997). Relationship  
558 between spectral components of cardiovascular variabilities and direct measures of muscle sympathetic  
559 nerve activity in humans. *Circulation* 95, 1441–1448
- 560 Porter, B., Bishop, M. J., Claridge, S., Child, N., Van Duijvenboden, S., Bostock, J., et al. (2019). Left  
561 ventricular activation-recovery interval variability predicts spontaneous ventricular tachyarrhythmia in  
562 patients with heart failure. *Heart Rhythm* 16, 702–709. doi:10.1016/j.hrthm.2018.11.013
- 563 Porter, B., Van Duijvenboden, S., Bishop, M. J., Orini, M., Claridge, S., Gould, J., et al. (2018).  
564 Beat-to-Beat Variability of Ventricular Action Potential Duration Oscillates at Low Frequency During  
565 Sympathetic Provocation in Humans. *Front. Physiol.* 9, 147
- 566 Pueyo, E., Malik, M., and Laguna, P. (2008). A dynamic model to characterize beat-to-beat adaptation of  
567 repolarization to heart rate changes. *Biomed. Signal Process. Control* 3, 29–43. doi:10.1016/J.BSPC.  
568 2007.09.005
- 569 Pueyo, E., Orini, M., Rodríguez, J. F., and Taggart, P. (2016). Interactive effect of beta-adrenergic  
570 stimulation and mechanical stretch on low-frequency oscillations of ventricular action potential duration  
571 in humans. *J. Mol. Cell. Cardiol.* 97, 93–105. doi:10.1016/j.yjmcc.2016.05.003
- 572 Pueyo, E., Smetana, P., Caminal, P., DeLuna, A., Malik, M., and Laguna, P. (2004). Characterization of  
573 QT Interval Adaptation to RR Interval Changes and Its Use as a Risk-Stratifier of Arrhythmic Mortality  
574 in Amiodarone-Treated Survivors of Acute Myocardial Infarction. *IEEE Trans. Biomed. Eng.* 51,  
575 1511–1520. doi:10.1109/TBME.2004.828050
- 576 Rizas, K. D., Hamm, W., Käab, S., Schmidt, G., and Bauer, A. (2016). Periodic repolarisation dynamics: a  
577 natural probe of the ventricular response to sympathetic activation. *Arrhythm Electrophysiol Rev* 5, 31
- 578 Rizas, K. D., McNitt, S., Hamm, W., Massberg, S., Käab, S., Zareba, W., et al. (2017). Prediction of  
579 sudden and non-sudden cardiac death in post-infarction patients with reduced left ventricular ejection  
580 fraction by periodic repolarization dynamics: MADIT-II substudy. *Eur. Heart J.* 38, 2110–2118
- 581 Rizas, K. D., Nieminen, T., Barthel, P., Zürn, C. S., Kähönen, M., Viik, J., et al. (2014). Sympathetic  
582 activity-associated periodic repolarization dynamics predict mortality following myocardial infarction.  
583 *J. Clin. Invest.* 124, 1770–1780
- 584 Rosenbaum, D. S. (2001). T wave alternans: A mechanism of arrhythmogenesis comes of age after 100  
585 years. *J. Cardiovasc. Electrophysiol.* 12, 207–209. doi:10.1046/j.1540-8167.2001.00207.x

- 586 Ruzsnavszky, F., Hegyi, B., Kistamás, K., Váczi, K., Horváth, B., Szentandrásy, N., et al. (2014).  
587 Asynchronous activation of calcium and potassium currents by isoproterenol in canine ventricular  
588 myocytes. *Naunyn-Schmiedeberg's archives of pharmacology* 387, 457–467
- 589 Sampedro-Puente, D. A., Fernandez-Bes, J., Porter, B., van Duijvenboden, S., Taggart, P., and Pueyo,  
590 E. (2019). Mechanisms underlying interactions between low-frequency oscillations and beat-to-beat  
591 variability of cellular ventricular repolarization in response to sympathetic stimulation: Implications for  
592 arrhythmogenesis. *Front. Physiol.* 10, 916. doi:10.3389/fphys.2019.00916
- 593 Soltis, A. R. and Saucerman, J. J. (2010). Synergy between CaMKII substrates and  $\beta$ -adrenergic signaling  
594 in regulation of cardiac myocyte Ca<sup>2+</sup> handling. *Biophys. J.* 99, 2038–2047
- 595 Sprenkeler, D. J., Beekman, J. D. M., Bossu, A., Dunnink, A., and Vos, M. A. (2019). Pro-Arrhythmic  
596 Ventricular Remodeling Is Associated With Increased Respiratory and Low-Frequency Oscillations of  
597 Monophasic Action Potential Duration in the Chronic Atrioventricular Block Dog Model. *Frontiers in*  
598 *Physiology* 10, 1095. doi:10.3389/fphys.2019.01095
- 599 Szabó, G., Szentandrásy, N., Bíró, T., Tóth, B. I., Czifra, G., Magyar, J., et al. (2005). Asymmetrical  
600 distribution of ion channels in canine and human left-ventricular wall: epicardium versus midmyocardium.  
601 *Pfluegers Arch.-Eur. J. Physiol.* 450, 307–316. doi:10.1007/s00424-005-1445-z
- 602 Szentandrásy, N., Bányász, T., Biro, T., Szabó, G., Toth, B., Magyar, J., et al. (2005). Apico-basal  
603 inhomogeneity in distribution of ion channels in canine and human ventricular myocardium. *Cardiovasc.*  
604 *Res.* 65, 851–860. doi:10.1016/j.cardiores.2004.11.022
- 605 Varshneya, M., Devenyi, R. A., and Sobie, E. A. (2018). Slow Delayed Rectifier Current Protects Ventricular  
606 Myocytes From Arrhythmic Dynamics Across Multiple Species. *Circ. Arrhythm. Electrophysiol.* 11,  
607 e006558. doi:10.1161/CIRCEP.118.006558
- 608 Volders, P. G., Stengl, M., van Opstal, J. M., Gerlach, U., Spätjens, R. L., Beekman, J. D., et al. (2003).  
609 Probing the Contribution of  $I_{Ks}$  to Canine Ventricular Repolarization. *Circulation* 107, 2753–2760.  
610 doi:10.1161/01.CIR.0000068344.54010.B3
- 611 Wang, L., Morotti, S., Tapa, S., Francis Stuart, S. D., Jiang, Y., Wang, Z., et al. (2019). Different paths,  
612 same destination: divergent action potential responses produce conserved cardiac fight-or-flight response  
613 in mouse and rabbit hearts. *J. Physiol.* 597, 3867–3883. doi:10.1113/JP278016
- 614 Weise, L. D. and Panfilov, A. V. (2013). A discrete electromechanical model for human cardiac tissue:  
615 effects of stretch-activated currents and stretch conditions on restitution properties and spiral wave  
616 dynamics. *PLoS One* 8, e59317
- 617 Winter, J., Tipton, M. J., and Shattock, M. J. (2018). Autonomic conflict exacerbates long QT associated  
618 ventricular arrhythmias. *J. Mol. Cell. Cardiol.* 116, 145–154. doi:10.1016/j.yjmcc.2018.02.001
- 619 Xie, Y., Grandi, E., Bers, D. M., and Sato, D. (2014a). How does  $\beta$ -adrenergic signalling affect the  
620 transitions from ventricular tachycardia to ventricular fibrillation? *Europace* 16, 452–457. doi:10.1093/  
621 europace/eut412
- 622 Xie, Y., Grandi, E., Puglisi, J. L., Sato, D., and Bers, D. M. (2013).  $\beta$ -adrenergic stimulation activates  
623 early afterdepolarizations transiently via kinetic mismatch of PKA targets. *J. Mol. Cell. Cardiol.* 58,  
624 153–161. doi:10.1016/j.yjmcc.2013.02.009
- 625 Xie, Y., Izu, L. T., Bers, D. M., and Sato, D. (2014b). Arrhythmogenic Transient Dynamics in Cardiac  
626 Myocytes. *Biophys. J.* 106, 1391–1397. doi:10.1016/j.bpj.2013.12.050



## TABLES

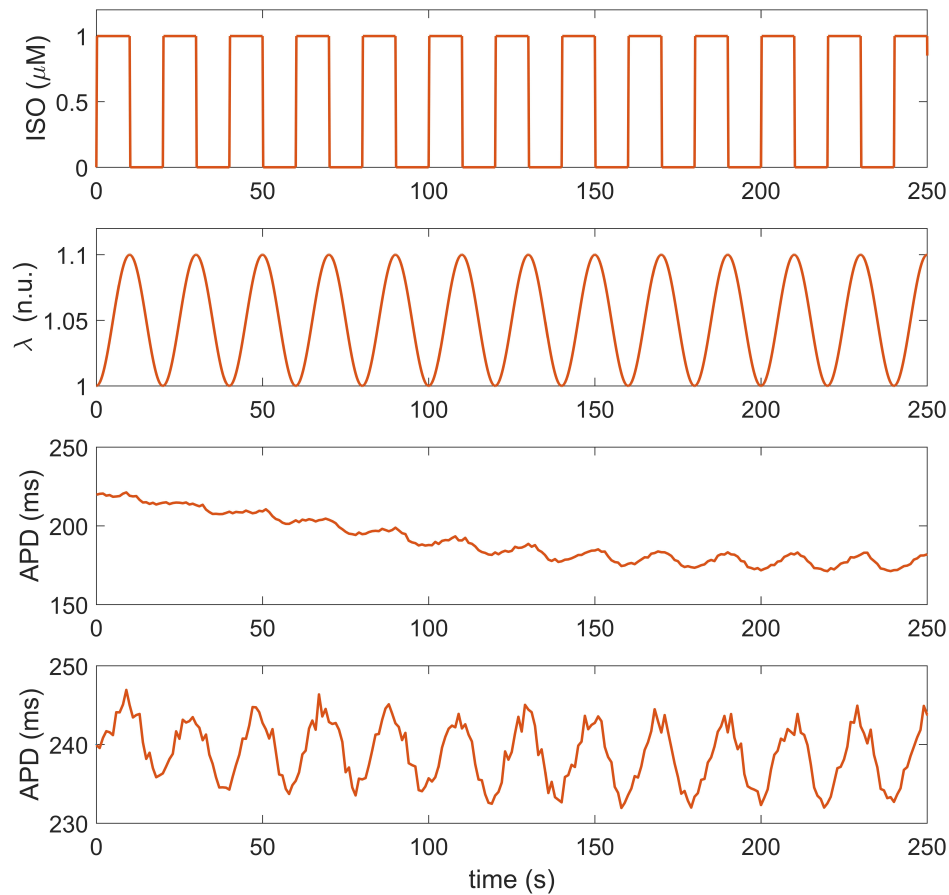
**Table 1.** Calibration criteria applied onto human ventricular cell models.

AP characteristic	Min. acceptable value	Max. acceptable value
Under baseline conditions (O'Hara et al., 2011; Guo et al., 2011; Britton et al., 2017)		
APD <sub>90</sub> (ms)	178.1	442.7
APD <sub>50</sub> (ms)	106.6	349.4
RMP (mV)	-94.4	-78.5
V <sub>peak</sub> (mV)	7.3	-
Under 90% $I_{Ks}$ block (O'Hara et al., 2011)		
$\Delta$ APD <sub>90</sub> (%)	-54.4	62
Under 70% $I_{Kr}$ block (Grandi et al., 2010)		
$\Delta$ APD <sub>90</sub> (%)	34.25	91.94
Under 50% $I_{K1}$ block (Jost et al., 2008)		
$\Delta$ APD <sub>90</sub> (%)	-5.26	14.86

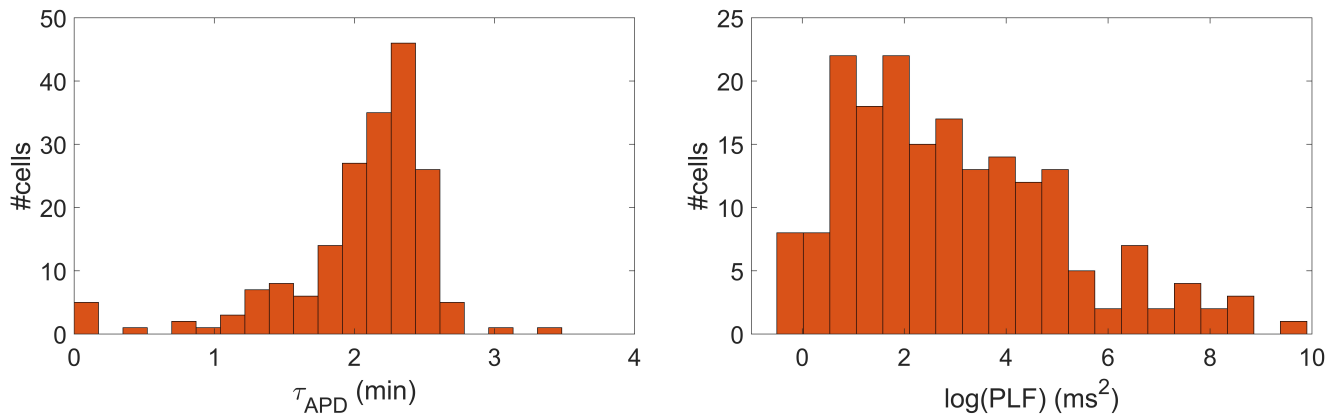
**Table 2.** Factors multiplying ionic conductances of virtual cells 1 and 2 illustrated in Fig. 1

Ionic factors	$\theta_{Ks}$	$\theta_{Kr}$	$\theta_{to}$	$\theta_{CaL}$	$\theta_{K1}$	$\theta_{Na}$	$\theta_{NaCa}$	$\theta_{NaK}$
Virtual cell 1	1.83	0.88	0.78	0.46	1.16	1.70	0.40	1.37
Virtual cell 2	0.49	1.11	1.98	1.37	1.34	0.42	1.82	1.97

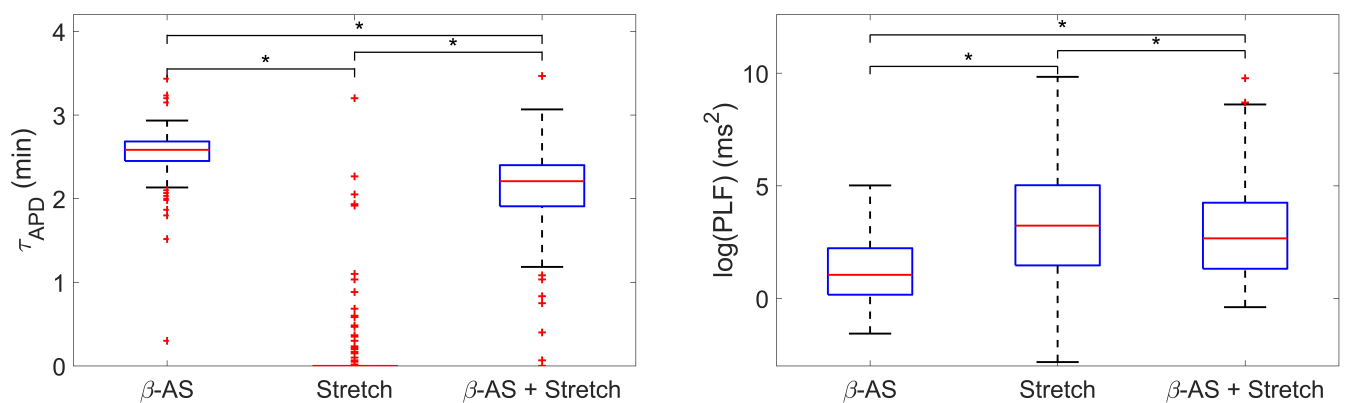
## FIGURES



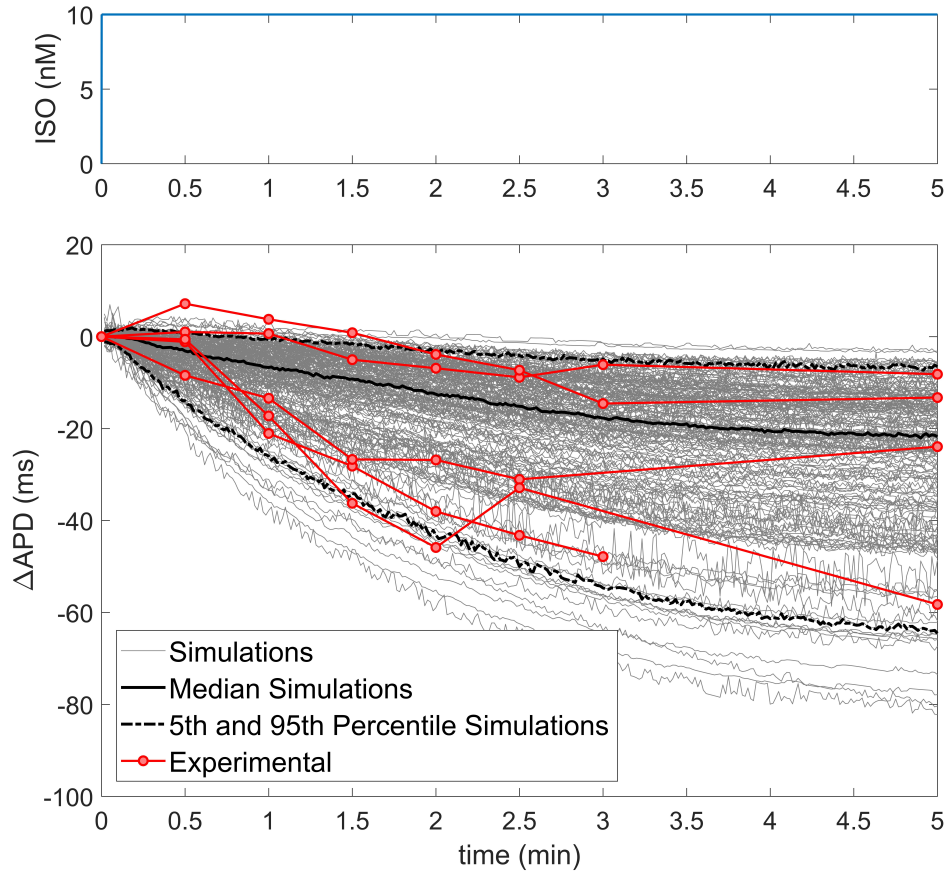
**Figure 1.** Simulation of sympathetic provocation and APD response of two different cells in the population. First row: Phasic ISO application at a frequency of 0.05 Hz. Second row: Phasic stretch ratio variations at the same frequency. Third and fourth rows: APD time series corresponding to two cells (virtual cell 1 and virtual cell 2) presenting LF oscillations in response to sympathetic provocation.



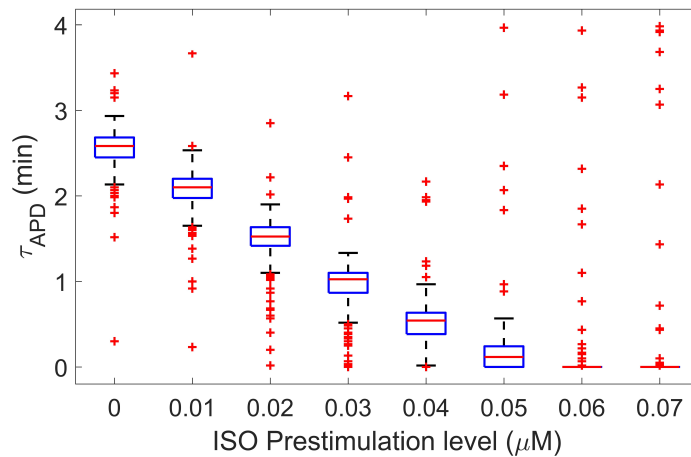
**Figure 2.** Histogram of the time lapse (left panel) and LF power (right panel) of APD in response to increased sympathetic activity for all cells in the simulated population.



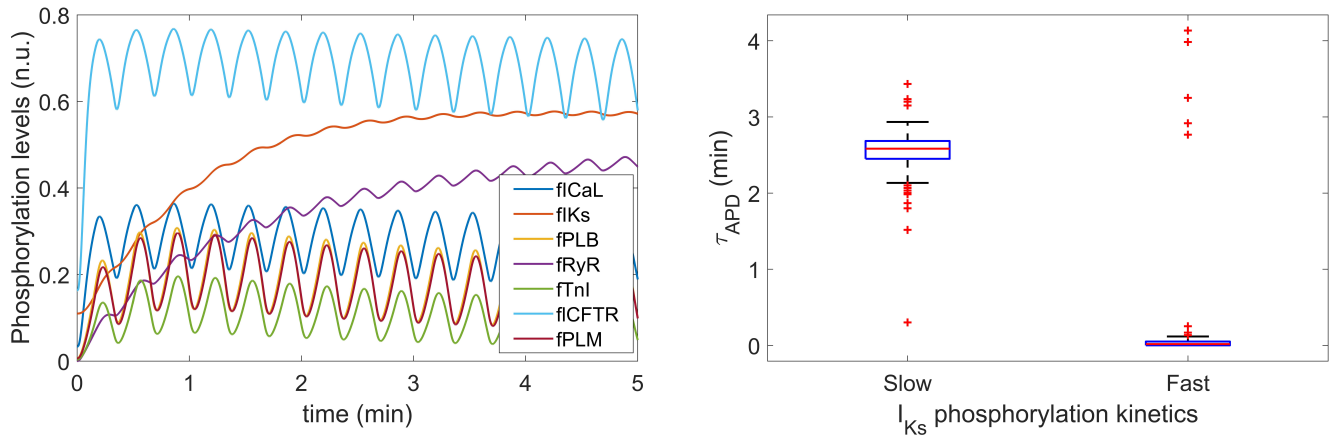
**Figure 3.** Boxplots representing the time lapse (left panel) and the power in the LF band (right panel) for oscillations of APD to develop in response to phasic  $\beta$ -AS (ISO  $1\mu M$ ), mechanical stretch (10%) and the combination of both. Statistically significant differences by Wilcoxon signed-rank test ( $p$ -value  $< 0.05$ ) are denoted by \*. Since the statistical significance in the comparison of simulated data highly depends on the number of simulated cases, smaller subsets of virtual cells were used to prove that  $p = 0.05$  had already been achieved with a much smaller number of virtual cells than those in the whole population.



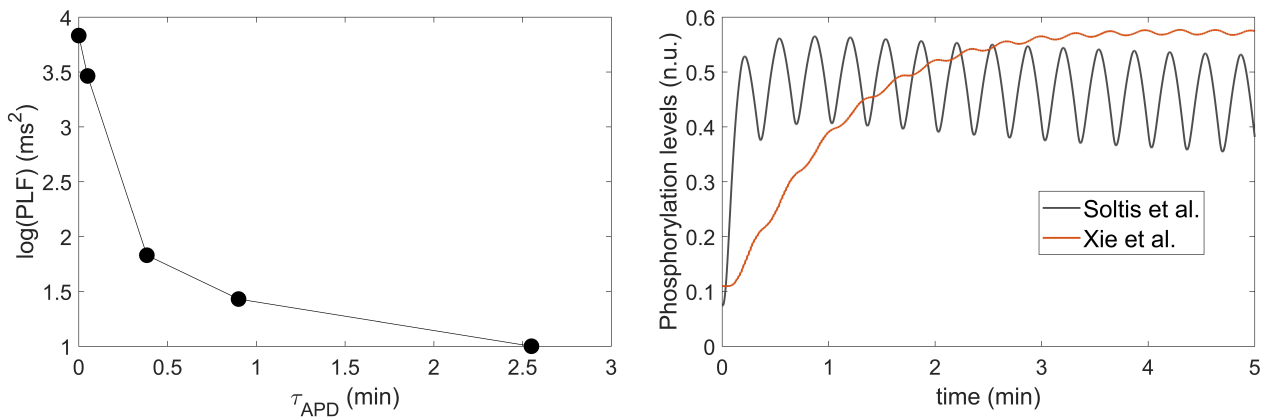
**Figure 4.** Top panel: ISO dose in nM, where time zero indicates the time when the solution containing ISO arrived to the cells and analogously for simulations. Bottom panel: Change in APD with respect to baseline following application of a constant 10 nM ISO dose in experiments ( $n=5$ , red) and simulations (grey) on single ventricular myocytes.



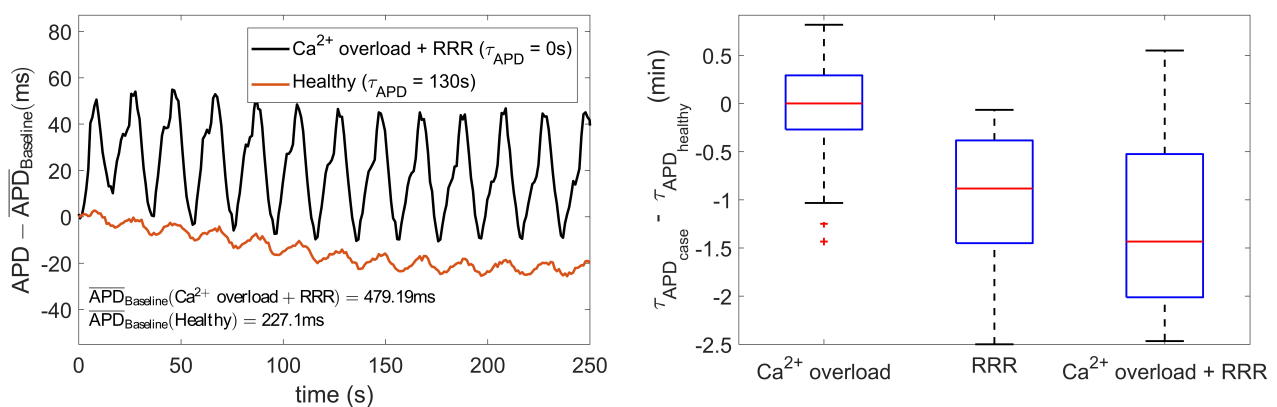
**Figure 5.** Time lapse for LF oscillations of APD to develop in response to phasic  $\beta$ -AS with 1  $\mu$ M ISO dose as a function of prior phasic  $\beta$ -AS with lower ISO doses varying from 0 to 0.07  $\mu$ M.



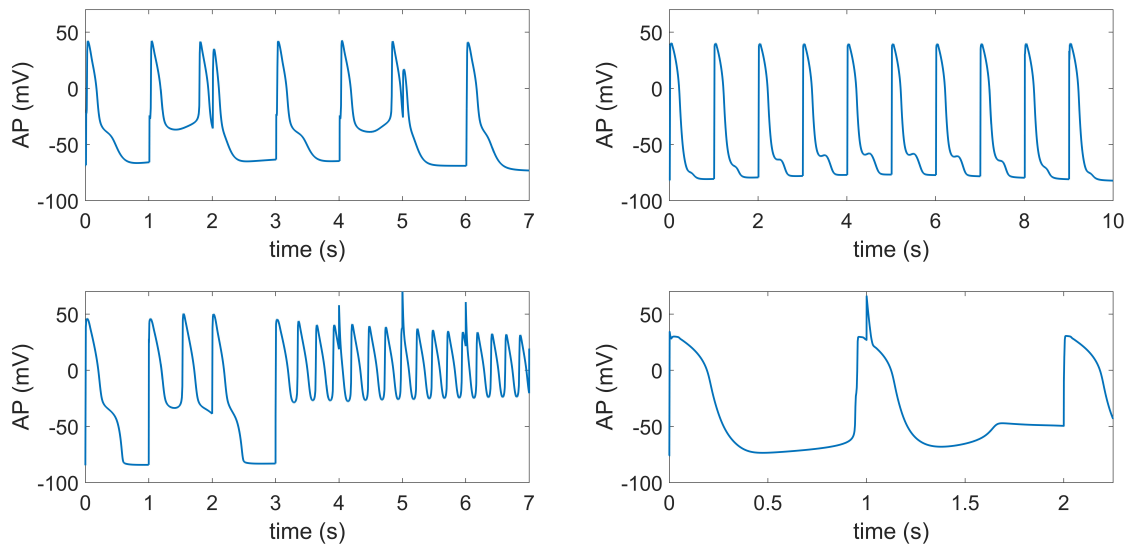
**Figure 6.** Left panel: Phosphorylation levels calculated as described in section 2.3. Right panel: Time lapse for LF oscillations of APD to develop in response to phasic  $\beta$ -AS when using PKA models with slow (left, Xie et al. (2013)) and fast (right, Soltis and Saucerman (2010))  $I_{Ks}$  phosphorylation and dephosphorylation kinetics.



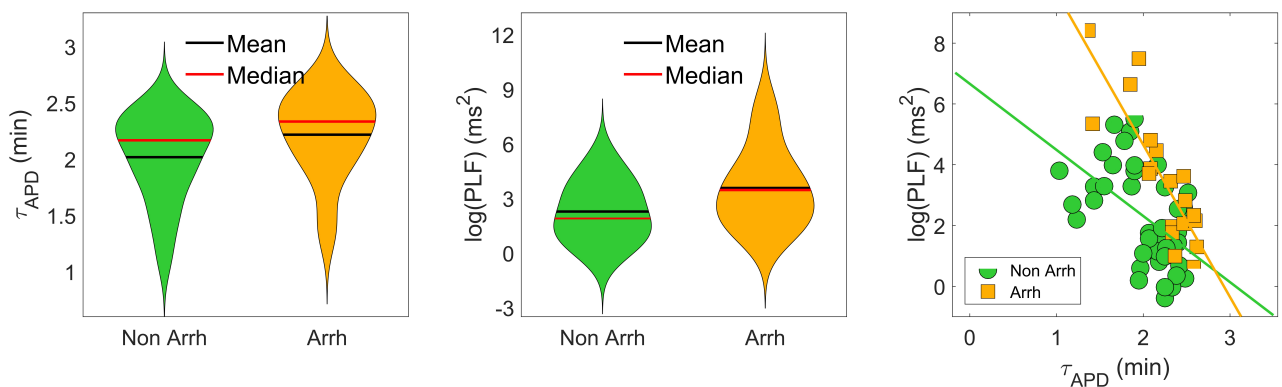
**Figure 7.** Left panel: PLF vs.  $\tau_{APD}$  for varying  $I_{Ks}$  phosphorylation and dephosphorylation rate constants ranging from the values in Soltis and Saucerman (2010) to the values in Xie et al. (2013). Right panel:  $I_{Ks}$  phosphorylation levels for the models with  $I_{Ks}$  phosphorylation and dephosphorylation rate constants as in Soltis and Saucerman (2010) (gray line) and as in Xie et al. (2013) (red line).



**Figure 8.** Left panel: Zero-mean APD series ( $APD - \overline{APD}_{Baseline}$ ) in response to sympathetic provocation, for healthy (red line) and disease (black line) conditions simulated for a virtual cell of the population. Right panel: Differences in  $\tau_{APD}$  due to  $Ca^{2+}$  overload and/or RRR with respect to healthy conditions.



**Figure 9.** Pro-arrhythmic events in virtual cells in response to increased sympathetic activity under diseased conditions simulated by  $\text{Ca}^{2+}$  overload, reduced repolarization reserve and increased  $G_{SAC}$ . Phase 2 and phase 3 early afterdepolarizations (EADs) (top panels), EAD bursts (bottom left panel) and spontaneous beats (bottom right panel) could be observed.



**Figure 10.** Left and middle panels: Violin representations of  $\tau_{APD}$  and  $\log(\text{PLF})$ , respectively, calculated under healthy conditions for subpopulations of cells presenting and not presenting pro-arrhythmic events when disease conditions were simulated while pacing at CLs of 1000, 2000 and 2500 ms. Right panel:  $\tau_{APD}$  vs.  $\log(\text{PLF})$  for the same two subpopulations. The slopes of the regression lines for the subpopulations presenting (orange) and not presenting (green) pro-arrhythmic events were statistically significantly different by univariate analysis of variance (p-value < 0.05).

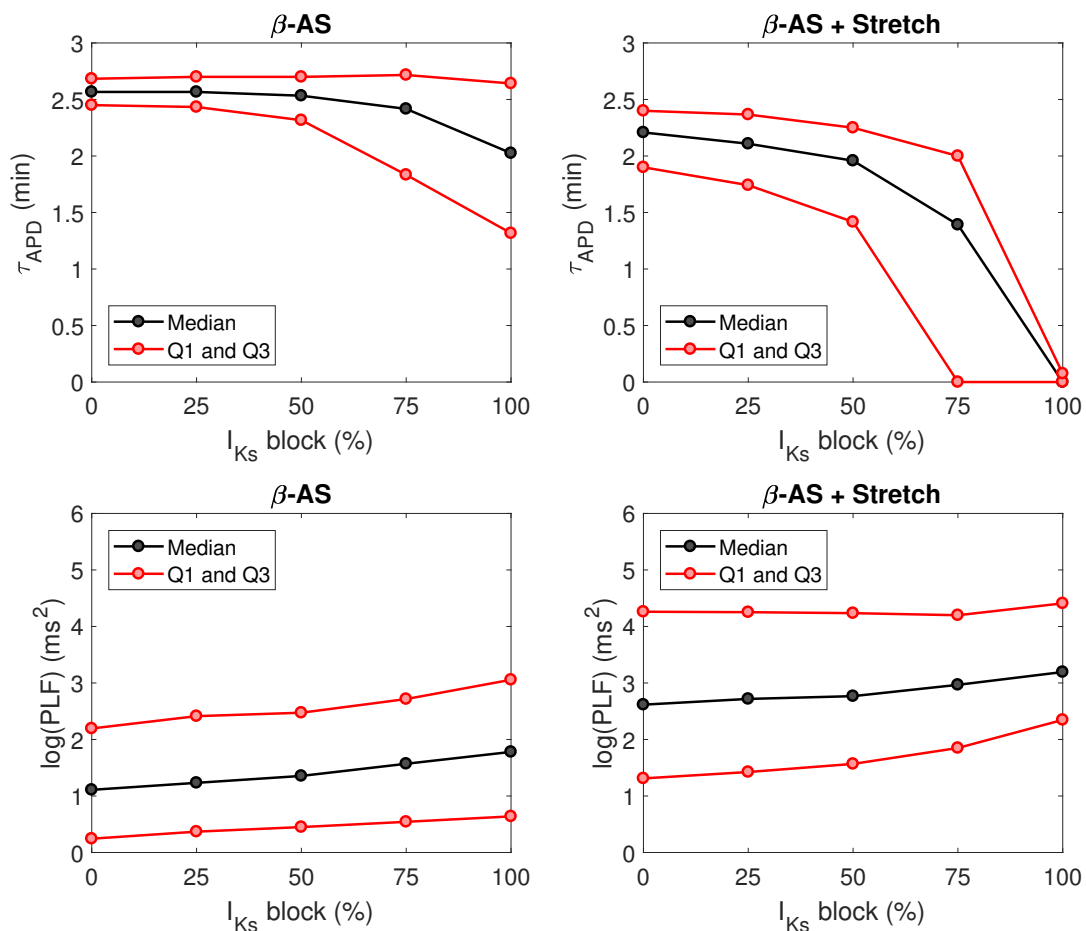
## Supplementary Material:

# Time Course of Low-Frequency Oscillatory Behavior in Human Ventricular Repolarization Following Enhanced Sympathetic Activity and Relation to Arrhythmogenesis

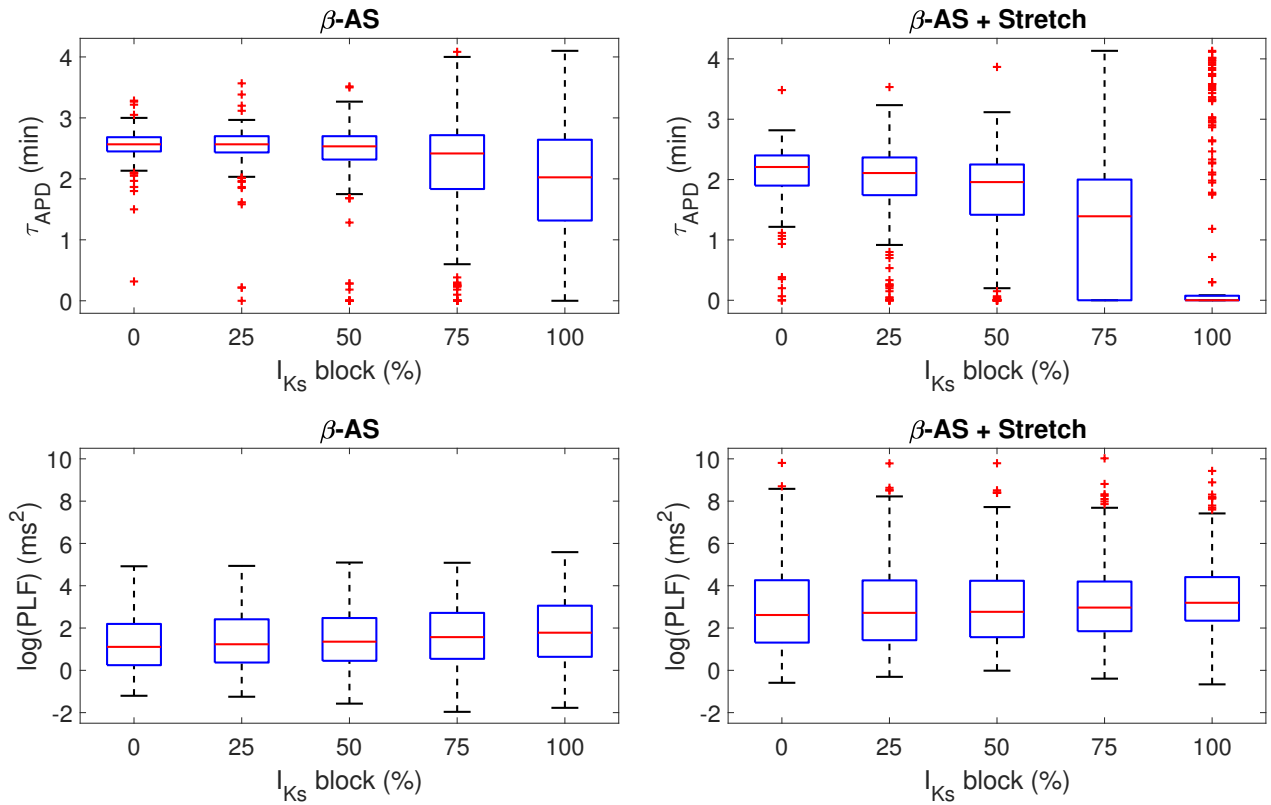
## 1 SUPPLEMENTARY TABLES AND FIGURES

### 1.1 Figures

#### 1.1.1 Simulation of $I_{Ks}$ block under individually $\beta$ -AS and in combination with Mechanical Stretch

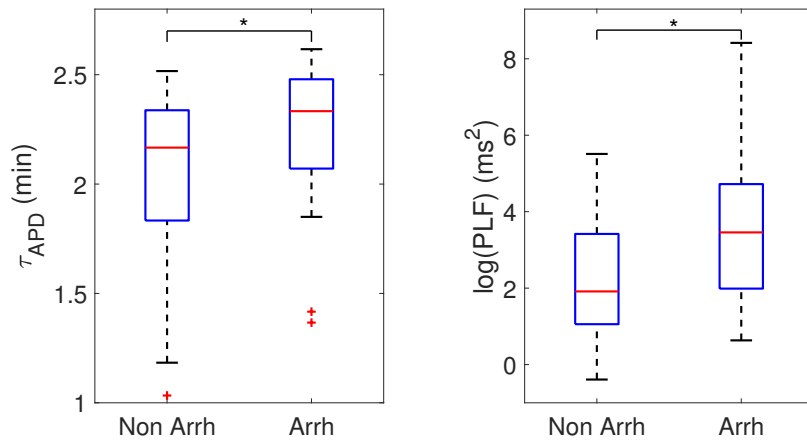


**Figure S1.**  $\tau_{APD}$  (top panels) and  $\log(PLF)$  (bottom panels), presented in terms of median, first quartile (Q1) and third quartile (Q3), for increasingly higher degrees of  $I_{Ks}$  inhibition, both in response to phasic  $\beta$ -AS (ISO  $1\mu M$ , left panels) and combined with phasic mechanical stretch (10%, right panels) for the population of virtual cells under healthy conditions.



**Figure S2.** Boxplots of  $\tau_{APD}$  (top panels) and  $\log(\text{PLF})$  (bottom panels) for increasingly higher levels of  $I_{Ks}$  inhibition, both in response to phasic  $\beta$ -AS (ISO  $1\mu\text{M}$ , left panels) and combined with phasic mechanical stretch (10%, right panels) for the population of virtual cells under healthy conditions.

1.1.2 Effect of disease conditions in time lapse of LF oscillations of APD and its relationship with arrhythmogenesis



**Figure S3.** Boxplot of  $\tau_{APD}$  (left panel) and  $\log(\text{PLF})$  (right panel) calculated under healthy conditions for subpopulations of cells presenting and not presenting pro-arrhythmic events when disease conditions were simulated while pacing at CLs of 1000, 2000 and 2500 ms. Statistically significant differences by Wilcoxon rank-sum test ( $p$ -value  $< 0.05$ ) are denoted by \*, while non-significant differences are denoted by *n.s.* See comment on statistical comparisons of simulated data in the main manuscript.